

## CIRCUITS II

"How To Have fun on the weekends"

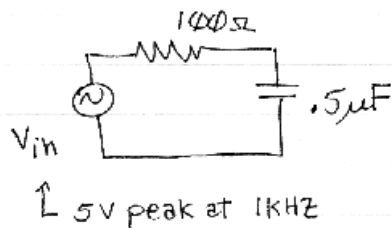
- ① Write the expressions for the following waveforms:
- Ⓐ 2 volt peak sine wave at 2 kHz
  - Ⓑ 10 volt RMS sine wave at 1 kHz
  - Ⓒ 10 volt peak-peak sine wave at 1 kHz, lagging by  $90^\circ$ .
  - Ⓓ 5 volt peak sine wave at 100 Hz riding on a +2V DC offset.
- ② Plot waveform 1-A as seen on a scope with the following settings (assume ground is centered and the trigger level and slope are set to start the trace as the waveform passes through 0, going positive).
- Ⓐ vertical: 1V/Div, Horizontal: 100  $\mu$ Sec/Div, coupling: AC
  - Ⓑ vertical: .2V/Div, Horizontal: 200  $\mu$ Sec/Div, coupling: DC
- ③ Plot waveform 1-D as seen on a scope with the following settings (assume ground is centered, Trigger slope is negative, trigger level is approx +1V).
- Ⓐ vertical: 2V/Div, Horizontal: 2mSec/Div, coupling: DC
  - Ⓑ vertical: 2V/Div, Horizontal: 2mSec/Div, coupling: AC
- ④ Find  $X_L$  if  $f = 1\text{kHz}$ ,  $L = 1\text{mH}$
- ⑤ Find  $X_C$  if  $f = 100\text{Hz}$ ,  $C = .1\mu\text{F}$
- ⑥ Find  $Z$  for a series combo of  $R = 1\text{k}\Omega$ ,  $L = 10\text{mH}$ , if  $f = 20\text{kHz}$

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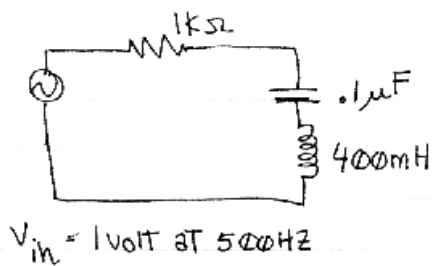
z of z

"How to Have fun on the weekends"

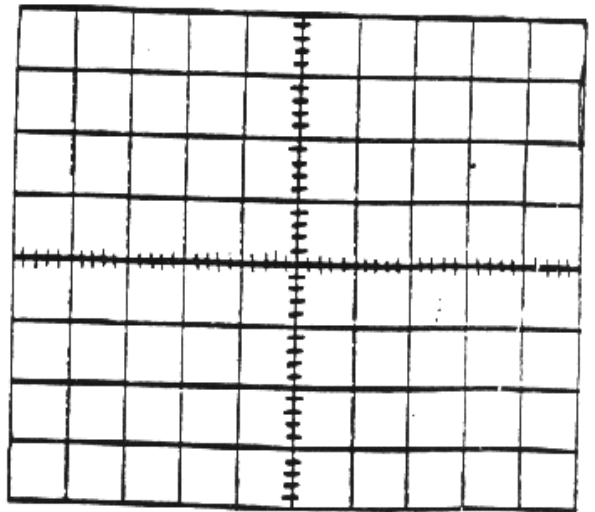
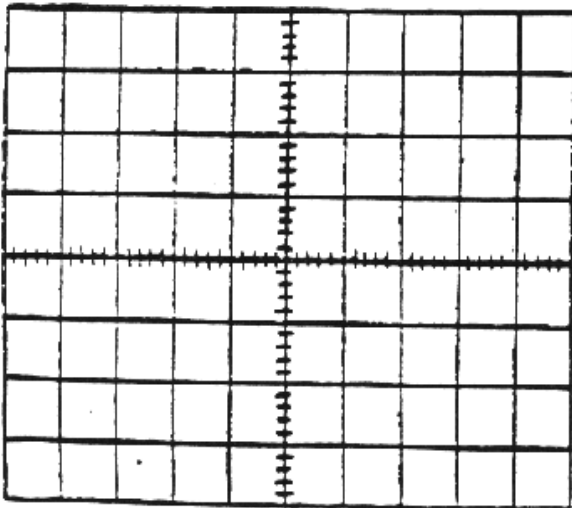
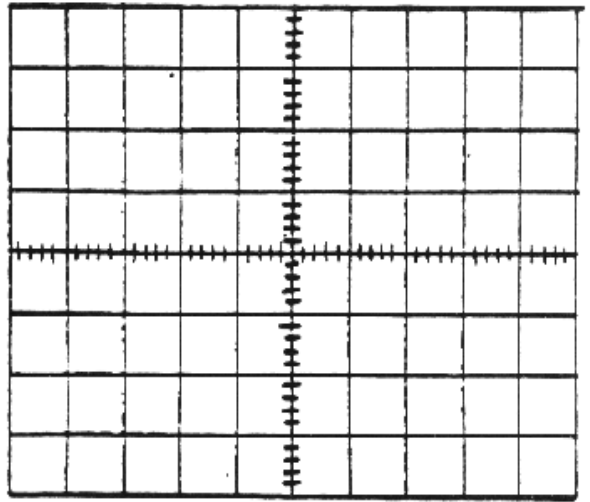
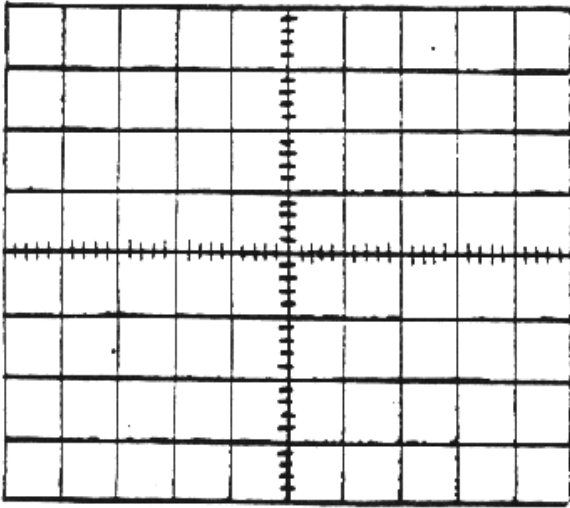
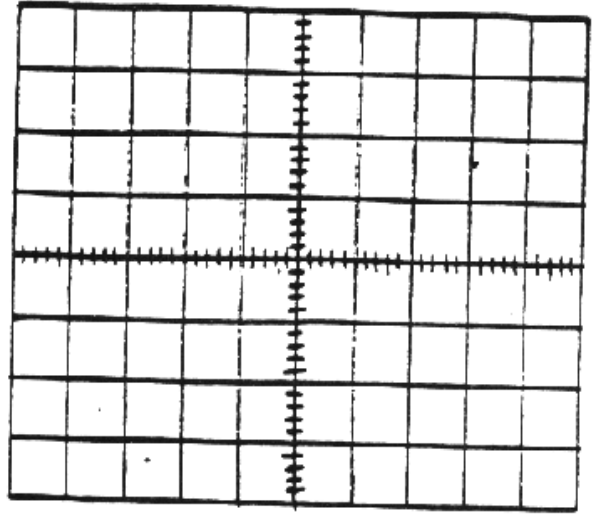
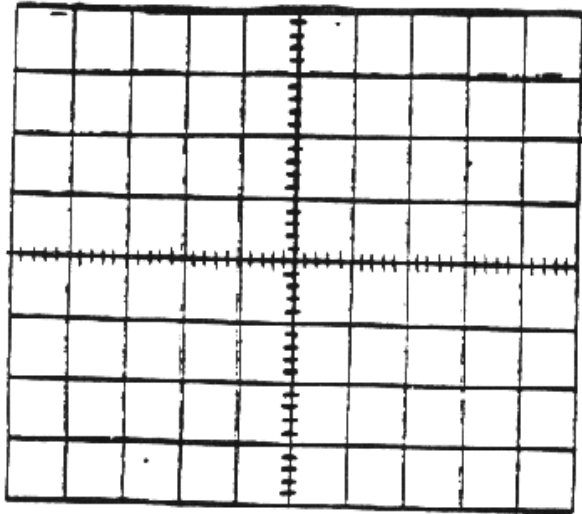
- ⑦ Draw the 3 voltage waveforms for the circuit below. ( $v_{in}$ ,  $v_R$ ,  $v_C$ ). Also, determine Total power dissipated.



- ⑧ Draw the 4 voltage waveforms for the circuit below. ( $v_{in}$ ,  $v_R$ ,  $v_L$ ,  $v_C$ )



- ⑨ find the frequency for the circuit of problem 8 such that  $X_L = X_C$ , and determine  $Z$  of the circuit at that point.



# CIRCUITS II

so much weekend fun (answers)

- ① (A)  $v(t) = 2 \sin 2\pi 2000t$   
 (B)  $10V_{RMS} = 14.14V_{peak}$ ,  $v(t) = 14.14 \sin 2\pi 1000t$   
 (C)  $14V_{pp} = 5V_p$ ,  $v(t) = 5 \sin(2\pi 1000t - 90^\circ)$   
 (D)  $v(t) = 5 \sin 2\pi 1000t + 2$  (note lack of parenthesis for sin)  
 or  $v(t) = 2 + 5 \sin 2\pi 1000t$  (less confusing)

② + ③ - see graphs

④  $X_L = 2\pi fL = 2\pi 1KHz \cdot 1mH = 6.28\Omega$

⑤  $X_C = \frac{1}{2\pi fC} = \frac{1}{2\pi 1000Hz \cdot 1\mu F} = 15.9K\Omega$

⑥  $X_L = 2\pi 20KHz \cdot 10mH = 1256\Omega$

$Z = 1k + j1256\Omega = 1600.5 \angle 51.5^\circ \Omega$

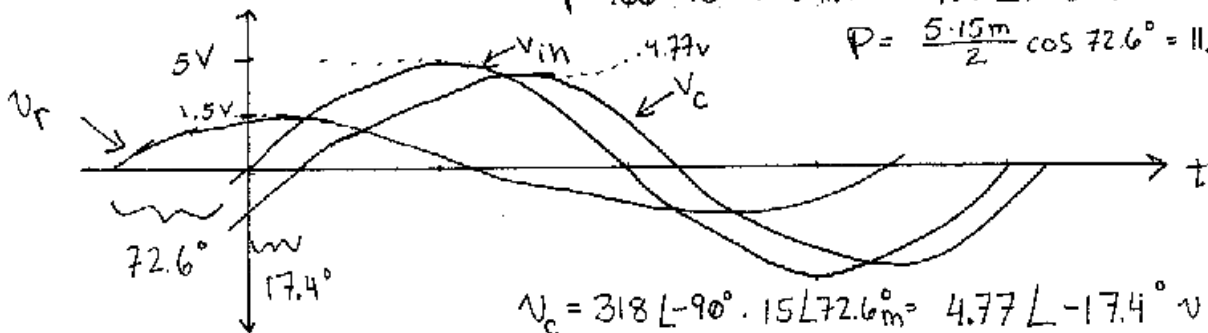
⑦  $X_C = \frac{1}{2\pi 1KHz \cdot 5\mu F} = 318\Omega$

$Z = 100 - j318\Omega = 333.3 \angle -72.6^\circ \Omega$

$i = \frac{5 \angle 0^\circ V}{333.3 \angle -72.6^\circ \Omega} = 15 \angle 72.6^\circ mA$

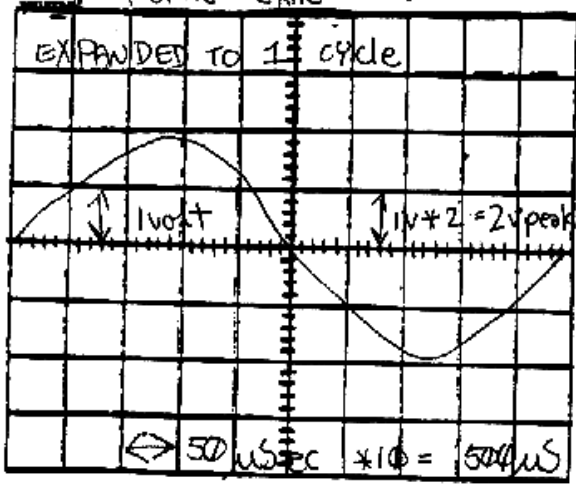
$V_r = 100 \cdot 15 \angle 72.6^\circ mA = 1.5 \angle 72.6^\circ V$

$P = \frac{5 \cdot 15m}{2} \cos 72.6^\circ = 11.2mW$

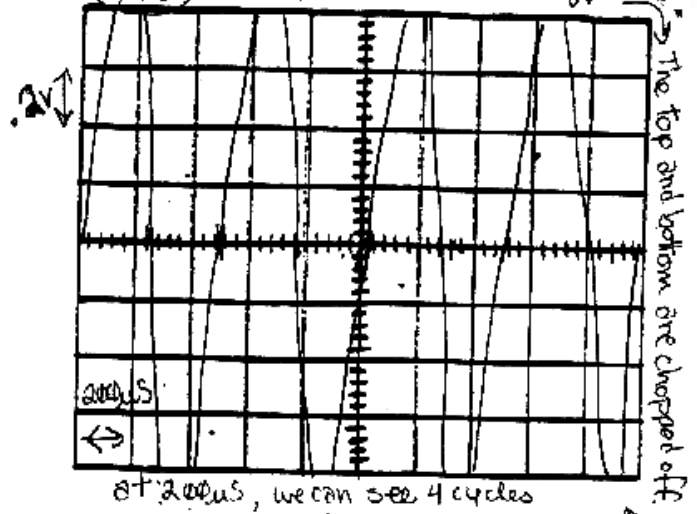


fun so much weekend fun - circuits #

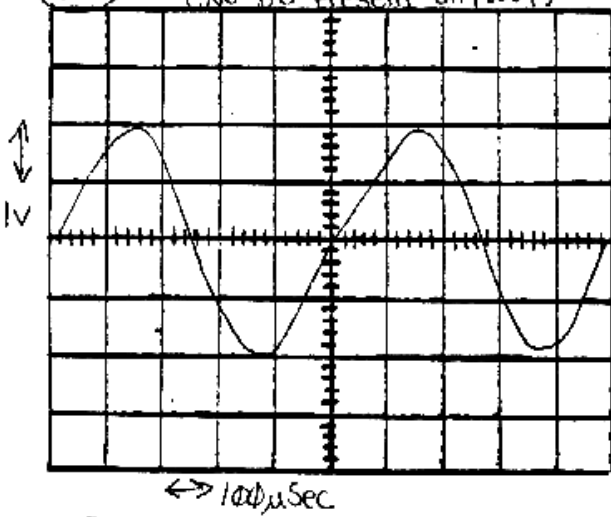
(2A) Period =  $\frac{1}{2\text{kHz}} = 500\mu\text{Sec}$



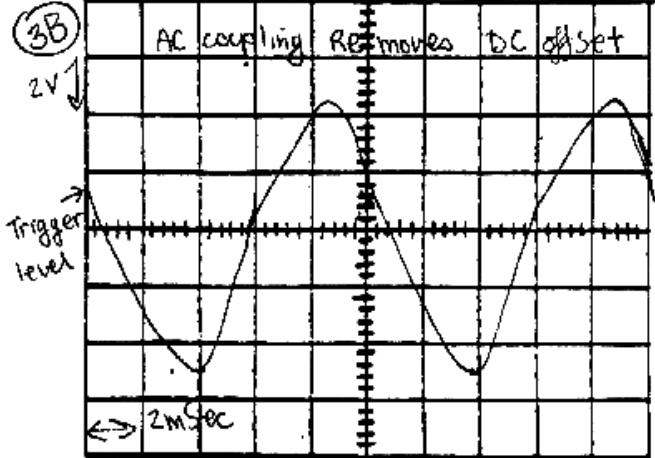
(2B) At .2V/DIV we can only see .8V



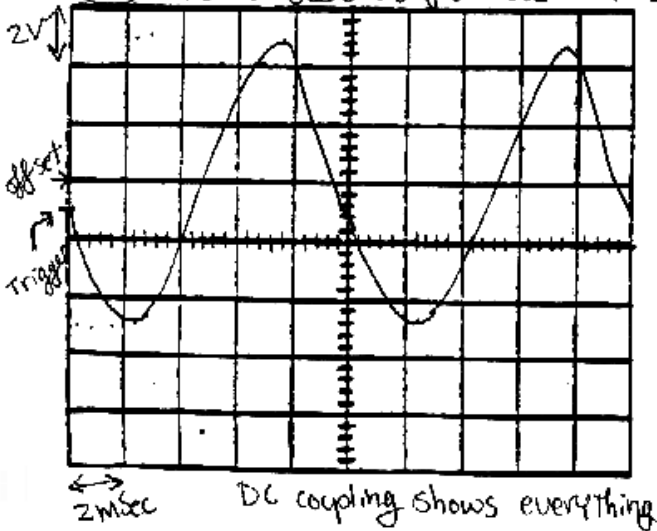
(2A) AC coupling Removes DC (No DC Present anyway)



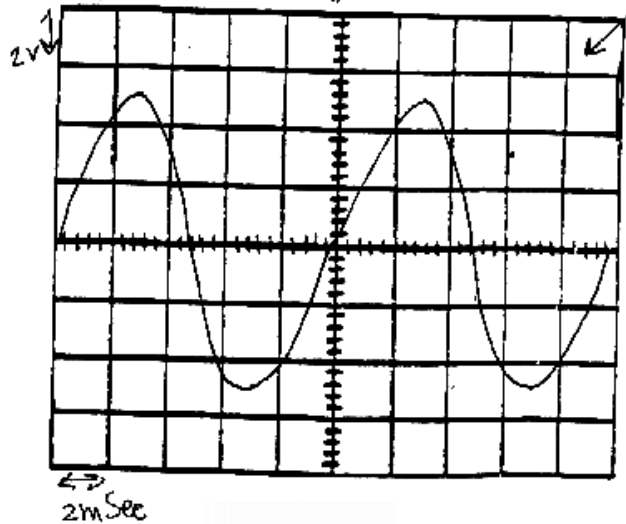
(2B) DC coupling lets us see both AC + DC (No DC anyway)



(3A) we can see a total of 20mSec = 2 cycles



(3B) - USING SAME TRIGGER AS (2A+2B) AC coupling removes the 2V DC



## CIRCUITS II

so much fun on the weekends fun (answers, cont.)

$$\textcircled{8} \quad X_C = \frac{1}{2\pi fC} = \frac{1}{2\pi 5000 \cdot 1\mu\text{F}} = 3185\Omega$$

$$X_L = 2\pi fL = 2\pi 5000 \cdot 400\text{mH} = 1256\Omega$$

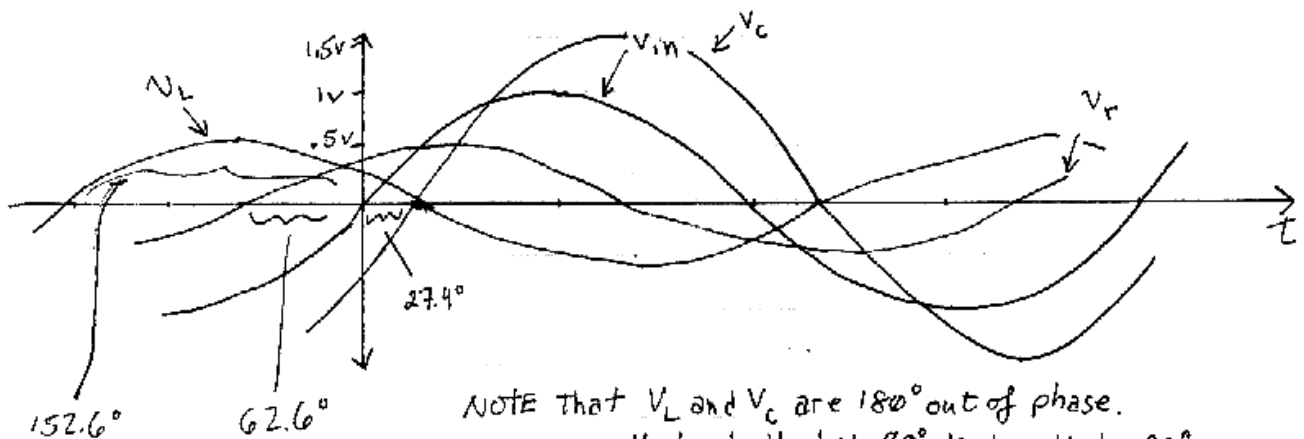
$$Z = 1\text{K} + j1256 - j3185\Omega = 1\text{K} - j1929\Omega = 2173\angle -62.6^\circ \Omega$$

$$i = \frac{1\angle 0^\circ \text{V}}{2173\angle -62.6^\circ \Omega} = .46\text{mA} \angle 62.6^\circ \quad (\text{current leads voltage - circuit is basically capacitive}).$$

$$V_R = 1\text{K} \cdot .46\text{mA} \angle 62.6^\circ = .46\text{V} \angle 62.6^\circ$$

$$V_C = 3185\angle -90^\circ \cdot .46\text{mA} \angle 62.6^\circ = 1.47\angle -27.4^\circ \text{V}$$

$$V_L = 12.56\angle 90^\circ \cdot .46\text{mA} \angle 62.6^\circ = .578\angle 152.6^\circ \text{V}$$



NOTE that  $V_L$  and  $V_C$  are  $180^\circ$  out of phase.  
 $V_L$  leads  $V_R$  by  $90^\circ$ ,  $V_C$  lags  $V_R$  by  $90^\circ$

$\textcircled{9}$  since  $X_L = 2\pi fL$  and  $X_C = \frac{1}{2\pi fC}$ , if  $X_C = X_L$  then

$$2\pi fL = \frac{1}{2\pi fC}, \quad f^2 = \frac{1}{2\pi C 2\pi L}$$

$$f = \frac{1}{2\pi\sqrt{LC}} \quad f = \frac{1}{2\pi\sqrt{1\mu\text{F} \cdot 400\text{mH}}} = 796\text{Hz}$$

$$X_L = 2\pi 796 \cdot 400\text{mH} = 2\text{K}\Omega \quad X_C = \frac{1}{2\pi 796 \cdot 1\mu\text{F}} = 2\text{K}\Omega$$

$$Z = 1\text{K}\Omega + j2\text{K} - j2\text{K} = \underline{1\text{K}\Omega}$$