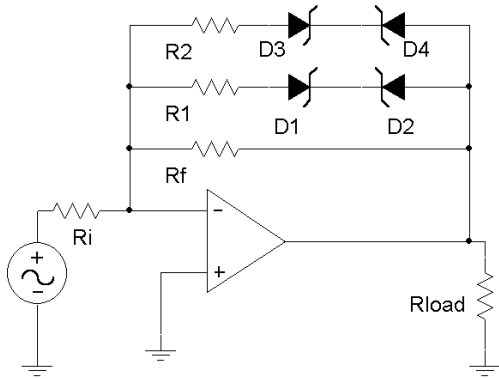
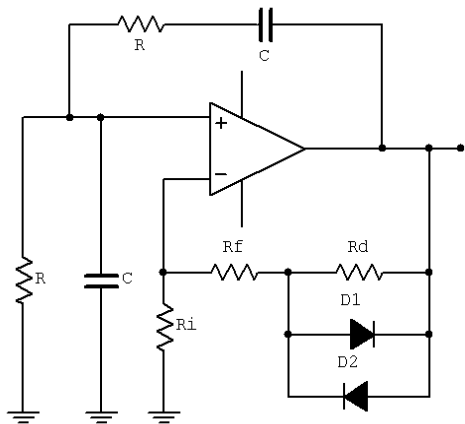


### Op Amps Practice 3

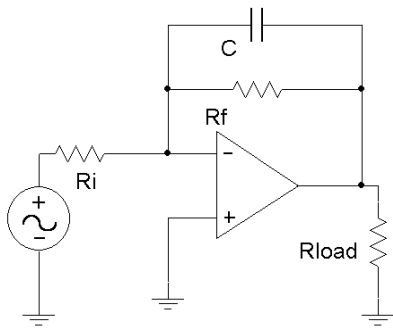
1. For the circuit below, draw the input-output transfer curve. Indicate the gains (slopes) and breakpoint voltages.  $R_i=10k$ ,  $R_f=60k$ ,  $R_1=120k$ ,  $R_2=40k$ ,  $R_{load}=22k$ ,  $D_1=D_2=3.3V$ ,  $D_3=D_4=5.1V$



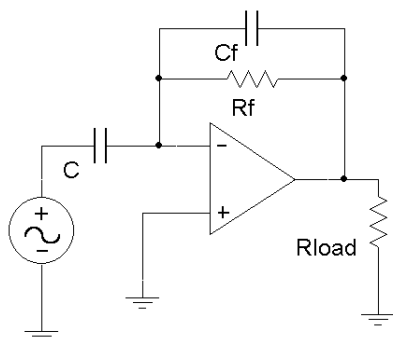
2. Determine the frequency of oscillation of the circuit below.  $R_i=10k$ ,  $R_f=15k$ ,  $R_d=8k$ ,  $R=20k$ ,  $C=.1\mu F$



3. For the integrator below, determine  $f_{low}$  and the output if the input is a .2 volt peak sine wave at 500 Hz.  $R_i=10k$ ,  $R_f=200k$ ,  $C=50nF$



4. For the differentiator below, determine  $f_{high}$  and the output if the input is a .1 volt peak sine wave at 1000 Hz.  $R_f=50k$ ,  $C_f=100pF$ ,  $C=50nF$



## Answers

1. Base gain is  $-60\text{k}/10\text{k} = -6$ . First output breakpoint is

$$2. f = 1/(2\pi R C) = 1/(2\pi \cdot 20\text{k} \cdot .1\mu\text{F}) = 79.6 \text{ Hz}$$

Note that the max forward gain is  $1 + (15\text{k}+8\text{k})/10\text{k} = 3.3$ , which is sufficient to start oscillation for a Wien bridge oscillator (need  $>3$ ). As the signal increases, the diodes begin to conduct thus dropping the effective gain to 3 to achieve a stable, unclipped output.

$$3. f_{\text{low}} = 1/(2\pi \cdot 200\text{k} \cdot 50\text{nF}) = 15.9 \text{ Hz. Amplitude of output is } -.2\text{V} \cdot 1/(10\text{k} \cdot 50\text{nF}) / (2\pi \cdot 500) = -.127\text{V} \quad (V_{\text{out}} = .127 \cos(2\pi \cdot 500t))$$

$$4. f_{\text{high}} = 1/(2\pi \cdot 50\text{k} \cdot 100\text{pF}) = 31.8\text{kHz. Amplitude of output is } -.1\text{V} \cdot (50\text{k} \cdot 50\text{nF}) \cdot (2\pi \cdot 1000) = -1.57\text{V} \quad (V_{\text{out}} = -1.57 \cos(2\pi \cdot 1000t))$$